

# International Competitiveness and Monetary Policy

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The role of monetary policy revisited

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## Question

- Can monetary and exchange rate policy raise welfare by promoting a country's competitiveness?
- Classical question in international macro, with positive (?) answer in the traditional (IS-LM Mundell-Fleming) literature.
- Difficult to address in modern models adopted by central banks and policy institutions:
  - The trade-off between output and exchange rate stabilization is shaped by an argument akin to the 'optimal tariff' argument in trade
  - 'real appreciation allows a country to consumer more for any given level of employment'

# Competitiveness vs Optimal Tariff

- Monetary version of ‘optimal tariff’ at odds with policy concerns about ‘competitiveness.’
- Same debate in international trade theory and policy.
- Ossa 2011: production relocation externality as a simple mechanism by which ‘promoting domestic manufacturing’ enhances national welfare.
- Main idea: A larger share of world production of differentiated goods associated with high trade costs, raises welfare via savings on these costs.
- Proxy for more complex mechanisms.

# What does this paper do?

Propose a development of policy models suitable to address stabilization vs competitiveness: **two-sector monetary economies, with comparative advantages and externality in one sector.**

- Analysis of optimal monetary policy:
  - Optimal trade-off between output gap and comparative advantages in manufacturing
- Empirical evidence supports key theory prediction:
  - Exports in differentiated goods falls under a currency peg (i.e. inefficient stabilization).

# Features of the new approach

Two-sector market structure:

1. Monopolistically competitive sector producing **differentiated products** (manufacturing).
  - **Sunk costs of entry**, covered by monopoly profits (standard in trade).
  - **Trade costs**.
  - **Sticky prices**.
2. A sector with less trade costs, less price stickiness
  - For simplicity perfectly competitive homogeneous good sector.

# Comparative advantages in Macro

- Stochastic general equilibrium model with aggregate (productivity) shocks.
- Manufacturing firms invest in differentiated goods ahead of production: pricing and entry decisions are sensitive to uncertainty:
  - respond to macroeconomic stabilization.
- Policymakers can improve social welfare:
  - strategic policy promotes entry of Home, exit of Foreign manufacturing firms;
  - contributes to comparative advantages.

## Main Results

- Externality in manufacturing sector creates incentives to deviate from globally efficient rules with significant beggar-thy-neighbor effects.
- While policy implies **competitively low manufacturing prices**, change in export composition **improves the overall terms of trade**.
- Inefficient monetary stabilization under pegs causes loss of export share of differentiated goods
  - Empirical support from panel regressions.

# **I. A new approach to policy models**

# An illustration of the new model

- DSGE monetary model of the kind adopted by most policy institutions.
- Two countries (home and foreign), symmetric but for policies, each with two tradable sectors: homogeneous and differentiated goods.
- Kept simple
  - One period preset prices in manufacturing.
  - No investment, no G spending, i.i.d. shocks
  - Non stochastic production of homogeneous good implies wage equalization and thus perfect risk sharing.

## Aggregate demand (households)

- Define monetary stance as  $\mu_t$ , driving the level of aggregate demand

$$\mu_t = P_t / U'(C_t) = P_t C_t$$

and affecting saving and labor mkt equilibrium:

- Euler  $\frac{1}{\mu_t} = \beta(1+i_t) E_t \left[ \frac{1}{\mu_{t+1}} \right]$
- Labor Supply:  $W_t = \kappa \mu_t$

## Homogeneous Good Production

- Productivity constant/identical across countries

$$y_{D,t} = \alpha_D l_{D,t}$$

- Perfect competition: firms price takers in the goods (as well as in labor) market
  - in equilibrium

$$p_{D,t} = W_t / a_D = km_t / a_D$$

# Differentiated (Manufacturing) Goods

- Production affected by aggregate productivity shocks,  $\alpha_t$

$$y_t(h) = \alpha_t l_t(h)$$

- Manufacturing firms
  - pay a **fixed cost** in labor units,  $q_t$ , each period, in advance of production.
  - set **prices one period in advance** in domestic currency units (producer currency pricing).
- **Trade cost**  $\tau$  of selling in foreign market.

## Manufacturing firm problem

- To maximize their value, i.e. the PDV of profits, firms set prices as to equate expected discounted marginal revenue to expected marginal costs augmented by equilibrium markup

$$p_{t+1}(h) \cdot E_t[W_{t+1}] = \frac{f}{f-1} \cdot E_t \left[ W_{t+1} \left( \frac{km_{t+1}}{a_{t+1}} \right) \right]$$

- New firms enter until expected discounted future profits equal fixed cost.

# Monetary Policy

- Monetary policy rules respond to home and (potentially) foreign output gap --- hence they respond to productivity shocks:

$$m_t = a_t^{g_1} (a_t^*)^{g_2}$$

$$m_t^* = (a_t^*)^{g_1^*} a_t^{g_2^*}.$$

# Monetary policy rules affect firms' pricing and entry decisions

- $\mu$  affects marginal revenue  $\Omega$  and costs  $\mu/\alpha$ , especially their comovement:

$$p_{t+1}(h) = \frac{f}{f-1} E_t \left[ W_{t+1} \left( \frac{km_{t+1}}{a_{t+1}} \right) \right] / E_t [W_{t+1}]$$

$$= \frac{kf}{f-1} \frac{E_t W_{t+1} E_t \left( \frac{m_{t+1}}{a_{t+1}} \right) + \text{Cov} \left( W_{t+1}, \left( \frac{m_{t+1}}{a_{t+1}} \right) \right)}{E_t [W_{t+1}]}$$

## Old and new view

How can monetary policy help competitiveness?

- Conventional view: by discretionary depreciation in reaction to adverse shocks
- New view: firms gain from policy regimes/rules that prevent macro shocks from reducing expected profits via their effects on costs and revenues.
  - Monetary policy has an effect on average pricing

**Competitive devaluation vs Competitive stabilization**

# International Prices

- Real exchange rate:

$$rer_t \equiv e_t P_t^* / P_t$$

- Terms of trade in manufacturing (trade literature):

$$TOTM_t \equiv p_t(h) / (e_t p_t^*(f))$$

- Terms of trade (including all goods)

$$TOTS_t \equiv p(h)_t / [\omega_t e_t p_t^*(f) + (1 - \omega_t) p_{D,t}]$$

with weights given by expenditure share:

$$\omega_t \equiv e_t p_t(f) n_{t-1}^* c_t(f) / [e_t p_t(f) n_{t-1}^* c_t(f) + p_{D,t} (c_{Dt} - y_{Dt})]$$

# Notable Model Feature: Risk Sharing

- Arbitrage in homogeneous goods market:

$$P_{Dt} = e_t P_{Dt}^*$$

- No productivity differentials => law of one price implies that nominal wages are equalized.
- Using labor market equilibrium:

$$e_t = \frac{p_{Dt}}{p_{Dt}^*} = \frac{W_t}{W_t^*} = \frac{P_t C_t}{P_t^* C_t^*}$$

- Rearranging, perfect international risk sharing

$$\frac{e_t P_t^*}{P_t} = \frac{C_t}{C_t^*}$$

## II. Results: theory

# 1. Benchmark of Globally Efficient Rules

- Optimal rules fully stabilize output gap in each country and world wide:

$$\mu_t = \alpha_t, \quad \mu_t^* = \alpha_t^*$$

Home currency depreciates in response to an asymmetric rise in home productivity  $e_t = \alpha_t / \alpha_t^*$

- On average, stabilization at global level lowers manufacturing prices

$$p_{t+1}^{coord}(h) = \frac{\phi}{\phi - 1} \kappa < p_{t+1}^{no\,stab}(h)$$

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Coordination

No stabilization

/

Flex price

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$n$	0.80	0.80
$n^*$	0.80	0.80
$p$	1.0674	1.0672
$p^*$	1.0674	1.0672
$y_m$	0.4166	0.4170
$y_d$	0.500	0.500
$y_m^*$	0.417	0.417
$y_d^*$	0.500	0.500
$TOTM$	1.0000	1.0003
$TOTS$	1.0000	1.0003
$c/\lambda$	0.9400	0.9402
$c^*/\lambda^*$	0.9400	0.9402
<i>utility gain</i>		0.0242
<i>utility gain</i> *		0.0242

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Unconditional means from stochastic simulation of second order approximation.  
 Utility gain relative to no policy case, in percentage terms.

## 2. Foreign Country Pegs to Home

- **Country that pegs its currency** has higher manufacturing prices

$$p_{t+1}^*(f) = \frac{f}{f-1} k E_t \frac{\hat{a}_{t+1}}{\hat{a}_{t+1}^*} > p_{t+1}(h) = \frac{f}{f-1} k$$

less manufacturing firms  $n > n^{flex} > n^*$

- **Country that stabilizes its own output gap**
  - Lower CPI and higher consumption
  - Despite depreciated real exch. rate, Home terms of trade rise overall due to composition of trade
  - Asymmetric welfare gain relative to coordinated stabilization

	No stabilization	Coordinatin Flex price	Foreign Peg
$n$	0.80	0.80	0.81
$n^*$	0.80	0.80	0.79
$p$	1.0674	1.0672	1.0671
$p^*$	1.0674	1.0672	1.0678
$y_m$	0.4166	0.4170	0.4219
$y_d$	0.500	0.500	0.494
$y_m^*$	0.417	0.417	0.411
$y_d^*$	0.500	0.500	0.506
$TOTM$	1.0000	1.0003	0.9997
$TOTS$	1.0000	1.0003	1.0051
$c/l$	0.9400	0.9402	0.9403
$c^*/l^*$	0.9400	0.9402	0.9397
<i>utility gain</i>		0.0242	0.0349
<i>utility gain</i> *		0.0242	-0.0352

Unconditional means from stochastic simulation of second order approximation.  
 Utility gain relative to no policy case, in percentage terms.

### 3. Policy Defection from Global Rules

- A self-interested Home Policy differ from global coordination:

$$m_t = a_t^{0.66} a_t^{*0.34}$$

- Home policy makers lean against (fundamental) exchange rate volatility: mute their response to home shocks and counteracts foreign response to own shocks.
- On average:
  - Policy maximizes entry in Home manufacturing
  - Weaker real exchange rate and manufacturing prices, but stronger terms of trade
  - Beggar-thy-neighbor

	No stabilization	Coordination Flex price	Foreign Peg	Unilateral Defection
$n$	0.80	0.80	0.81	0.81
$n^*$	0.80	0.80	0.79	0.79
$p$	1.0674	1.0672	1.0671	1.0669
$p^*$	1.0674	1.0672	1.0678	1.0676
$y_m$	0.4166	0.4170	0.4219	0.4218
$y_d$	0.500	0.500	0.494	0.494
$y_m^*$	0.417	0.417	0.411	0.412
$y_d^*$	0.500	0.500	0.506	0.506
$TOTM$	1.0000	1.0003	0.9997	0.9999
$TOTS$	1.0000	1.0003	1.0051	1.0052
$c/\lambda$	0.9400	0.9402	0.9403	0.9405
$c^*/\lambda^*$	0.9400	0.9402	0.9397	0.9399
<i>utility gain</i>		0.0242	0.0349	0.0545
<i>utility gain</i> *		0.0242	-0.0352	-0.0118

Unconditional means from stochastic simulation of second order approximation.  
Utility gain relative to no policy case, in percentage terms.

## 4. Consequences for world equilibrium

- Each country expands too little in response to positive shock.
- On average:
  - Welfare gain from coordination over Nash equals  $2/3$  of gain from Nash over no policy.
  - This relative welfare gain is large compared to past literature.

	No stabilization	Coordination Flex price	Foreign Peg	Unilateral Defection	Nash
$n$	0.80	0.80	0.81	0.81	0.80
$n^*$	0.80	0.80	0.79	0.79	0.80
$p$	1.0674	1.0672	1.0671	1.0669	1.0673
$p^*$	1.0674	1.0672	1.0678	1.0676	1.0673
$y_m$	0.4166	0.4170	0.4219	0.4218	0.4168
$y_d$	0.500	0.500	0.494	0.494	0.500
$y_m^*$	0.417	0.417	0.411	0.412	0.417
$y_d^*$	0.500	0.500	0.506	0.506	0.500
$TOTM$	1.0000	1.0003	0.9997	0.9999	1.0000
$TOTS$	1.0000	1.0003	1.0051	1.0052	1.0000
$c/l$	0.9400	0.9402	0.9403	0.9405	0.9401
$c^*/l^*$	0.9400	0.9402	0.9397	0.9399	0.9401
<i>utility gain</i>		0.0242	0.0349	0.0545	0.0146
<i>utility gain</i> *		0.0242	-0.0352	-0.0118	0.0146

Unconditional means from stochastic simulation of second order approximation.

Utility gain relative to no policy case, in percentage terms.

## **III. Results: empirics**

# Empirical Evidence

- Key implication for the data:
  - Monetary policy constrained by an exchange rate target, all else equal, reduce export specialization in differentiated products.
  - Analysis across countries with fixed and flexible rate regimes.

## Data:

- Exports to U.S. by country and industry from World Trade Flows Data base (Feenstra)
- Differentiation Index from Rauch (1999)  
4-digit SITC industries: a good is differentiated if not traded on organized exchange and/or no reference prices published in trade journals.
- Monetary policy independence classification from IMF or others
  - Germany as independent despite member of fixed rate system, because leader.

# Pooled Country-sector Analysis

- Specification:

$$\log x_{ijt} = b_0 + b_1 PEG_{jt} DIF_{it} + b_2 PEG_{jt} + C_i + C_j + C_t + e_{ijt}$$

- $x_{ijt}$  dollar value of exports in industry  $i$  from country  $j$  to the U.S. in year  $t$ .
  - $PEG_{jt}$ , 1 for peg, 0 for independent policy in country  $j$  and year  $t$ .
  - $DIF_i$ : 1 for differentiated industry  $i$ , 0 otherwise.
  - Include fixed effects for country, year, sector.
- 
- Model predicts  $\beta_1 < 0$

## Pooled Regression: Baseline Specification

	(1)	(2)	(3)
PEG x DIF	-0.198*** (0.052)	-0.383** (0.0980)	-0.318*** (0.0961)
PEG	0.0986* (0.0411)	0.168* (0.0726)	-0.0991 (0.0707)
Obs.	719603	719603	719603
R-sq	0.390	0.387	0.367
adj. R-sq	0.389	0.383	0.363
Country FE	yes	yes	
Year Fixed Effect	yes	yes	
Sector Fixed Effect	yes		
Country-Year FE			yes
Country-Sector FE		yes	yes

Notes: DIF not included as regressor because subsumed in sector fixed effect.

Heteroskedasticity Robust Standard errors in parentheses:

\* significance at 5%; \*\* significance at 1%; \*\*\*significance at 0.1%

## Pooled Regression: Baseline Specification cont.ed

	>\$10,000	No energy	Alternative peg classification
PEG x DIF	-0.142** (0.052)	-0.196** (0.0107)	-0.194*** (0.0531)
PEG	-0.0727 (0.0411)	-0.0471* (0.0179)	0.217*** (0.0432)
Obs.	503393	634009	800054
R-sq	0.339	0.364	0.367
adj. R-sq	0.337	0.360	0.363
Country-Year FE	yes	yes	yes
Country-Sector FE	yes	yes	yes

Notes: DIF not included as regressor because subsumed in sector fixed effect.

Heteroskedasticity Robust Standard errors in parentheses:

\* significance at 5%; \*\* significance at 1%; \*\*\*significance at 0.1%

# Pooled Country-sector Analysis

- Results support prediction:  $\beta_1 < 0$
- Robust to restricting the sample to rich countries, non-oil exporting countries, manufacturing goods only, alternative classifications of pegs.
- More on this in the near future.

# Country Level Analysis

- Define country differentiation index:

$$SDIF_{jt} = \frac{\sum_i DIF_i \cdot x_{ijt}}{\sum_i x_{ijt}}$$

- Specification:

$$SDIF_{jt} = \beta_0 + \beta_1 PEG_{jt} + \varepsilon_{jt}$$

- Model predicts

$$\beta_1 < 0$$

- Results support prediction.

## Country Level Analysis

	(1)	(2)	(3)	(4)
	Baseline	Non-oil exporters	>\$10,000 countries	Additional controls
PEG	-0.0585***	-0.0625***	-0.0628***	-0.0546**
	(0.0163)	(0.0166)	(0.0218)	(0.0182)
N	3646	3190	1877	2624
R-sq	0.741	0.721	0.815	0.775
adj. R-sq	0.728	0.706	0.803	0.759

Notes: Coefficients on country and sector fixed effects not reported. Heteroskedasticity Robust Standard errors in parentheses: \* significance at 5%; \*\* at 1%; \*\*\* at 0.1%

## Country Level Analysis cont.ed

	(5)	(6)
	Manufac. Exports	No Energy Goods
PEG	-0.0334	-0.0486**
	(0.0205)	(0.0164)
N	3632	3645
R-sq	0.602	0.711
adj. R-sq	0.581	0.696

Notes: Coefficients on country and sector fixed effects not reported. Heteroskedasticity Robust Standard errors in parentheses: \* significance at 5%; \*\* at 1%; \*\*\* at 0.1%

# Conclusions

- Monetary policy cannot be expected to play the same role as real factors (research and development, investment in human and physical capital, market structure, taxation) in determining a country's competitiveness.
- Nonetheless, theoretical and empirical considerations suggest that its potential role is far from negligible.

# Conclusions

- Closer integration of trade and macro model opens new and exciting directions for economic research.
- Most importantly, it may enrich the set of intellectual, quantitative and empirical tools monetary authorities can rely on, to respond the challenges of stabilizing increasingly open domestic economies.

# Aggregate Demand

Home consumption index,  $C$ , includes

- all  $n$  varieties  $h$  of the differentiated goods produced at Home
- all  $n^*$  varieties  $f$  produced in Foreign,
- the homogeneous good.

$$C_t \equiv C_{M,t}^q C_{D,t}^{1-q}$$

where

$$C_{M,t} \equiv \left( \int_0^{n_t} c_t(h)^{\frac{\phi-1}{\phi}} dh + \int_0^{n_t^*} c_t(f)^{\frac{\phi-1}{\phi}} df \right)^{\frac{\phi}{\phi-1}}$$

# Households Problem

$$\max E_0 \sum_{t=0}^{\infty} \beta^t \left[ \ln C_t + \chi \ln \frac{M_t}{P_t} - \kappa l_t \right]$$

$$P_t C_t = W_t l_t + \int_0^{n_t} \pi_t(h) dh - W_t q + M_t - M_{t-1} + B_t - (1 + i_{t-1}) B_{t-1} - T_t$$

- Utility from consumption, real money balances ( $M/P$ ), negative utility from labor ( $l$ ).
- Income from labor earnings at wage rate  $W$ , interest ( $i$ ) on domestic bonds ( $B$ ), profits from ownership of firms ( $\pi$ ). Pay lump sum tax ( $T$ ).

# Price Indexes and Goods Demand

- Price indices:

$$P_t \equiv \frac{P_{M,t}^\theta P_{D,t}^{1-\theta}}{\theta^\theta (1-\theta)^{1-\theta}} \quad P_{Mt} = \left( n_t p_t(h)^{1-\phi} + n_t^* p_t(f)^{1-\phi} \right)^{\frac{1}{1-\phi}}$$

and demands for goods with elasticity  $\phi$

$$P_{Mt} C_{Mt} = \theta P_t C_t \quad c_t(h) = \left( p_t(h) / P_t \right)^{-\phi} C_{Mt}$$
$$P_{Dt} C_{Dt} = (1-\theta) P_t C_t \quad c_t(f) = \left( p_t(f) / P_t \right)^{-\phi} C_{Mt}$$

- Analogous expressions for foreign country.

## Manufacturing Firms' problem

- Define  $e$  as the exchange rate. Firms profits are

$$\pi_t(h) = p_t(h)c_t(h) + e_t p_t^*(h)c_t^*(h) - W_t y_t(h) / \alpha_t$$

with export prices (including trade costs)

$$p_{t+1}^*(h) = (1 + \tau) p_{t+1}(h) / e_{t+1}$$

- Firms optimally preset prices to maximize their value, i.e. the PDV of profits

$$\max_{p_{t+1}(h)} = E_t \left[ \beta \frac{m_t}{m_{t+1}} p_{t+1}(h) \right]^3 q_t W_t$$

New entry until expected discounted future profits equal fixed cost.

## Parameter Values

### Preferences:

$$\phi = 6 \quad (\text{elasticity between varieties})$$

$$\theta = 0.5 \quad (\text{share of manufactured goods})$$

$$\beta = 0.96 \quad (\text{discounting, annual frequency})$$

$$\kappa = 1 \quad (\text{Labor supply})$$

$$\chi = 1 \quad (\text{money demand})$$

### Production and Trade costs:

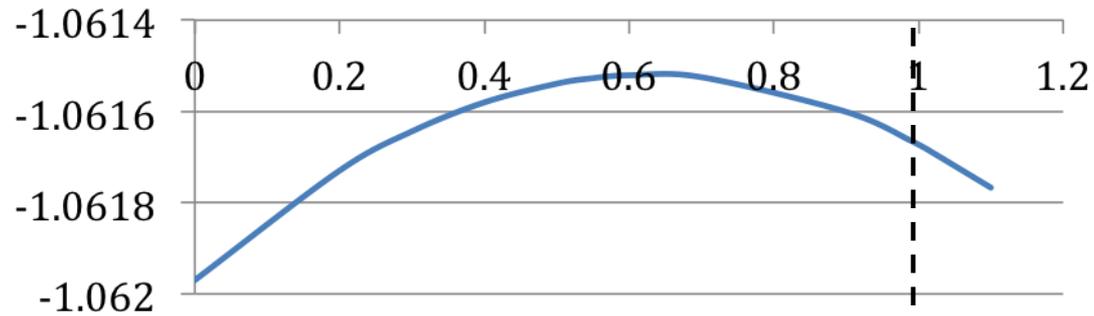
$$q = 0.1 \quad (\text{fixed cost})$$

$$\tau = 0.10 \quad (\text{iceberg cost})$$

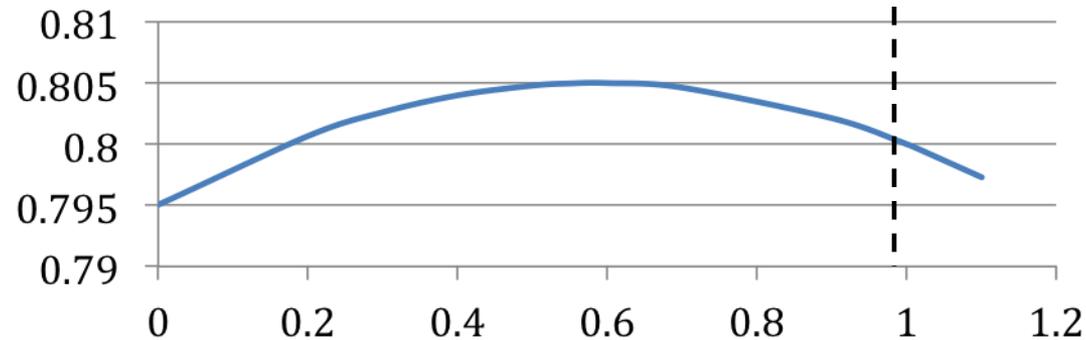
$$\ln \alpha_t \sim N(\ln \bar{\alpha}, \sigma_\alpha) \quad \bar{\alpha} = 1; \quad \sigma_\alpha = 0.017$$

$$\alpha_D = 1$$

## Home utility as function of policy parameter $\gamma_1$



## Home # firms as function of policy parameter $\gamma_1$



(value of 1 is full stabilization case that replicates the flexible price allocation)