

Risk-sharing or risk-taking? Financial innovation, margin requirements and incentives

Bruno Biais

University of Toulouse

Florian Heider

ECB

Marie Hoerova

ECB

Conference on “Government intervention and moral hazard in
the financial sector”

Norges Bank

September 3, 2010

Motivation

- Financial innovation enables risk-sharing (e.g., credit-default swaps)
- But it can also lead to more risk-taking (e.g., Rajan, 2006)

Motivation

- Financial innovation enables risk-sharing (e.g., credit-default swaps)
- But it can also lead to more risk-taking (e.g., Rajan, 2006)

- Is there a conflict between risk-sharing gains from trade and risk-taking incentives?
- What are the consequences of counterparty risk?
- Is financial innovation destabilizing?
- Does it propagate and amplify shocks?

Hidden leverage, incentives and margins

- Risk-sharing creates *hidden leverage*
 - if news arrive that a hedge is likely to be loss making → “off balance-sheet” liability for seller
 - undermines seller’s incentives to control risk (akin to debt overhang)

Hidden leverage, incentives and margins

- Risk-sharing creates *hidden leverage*
 - if news arrive that a hedge is likely to be loss making → “off balance-sheet” liability for seller
 - undermines seller’s incentives to control risk (akin to debt overhang)
- To maintain incentives → reduce risk-sharing

Hidden leverage, incentives and margins

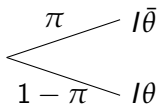
- Risk-sharing creates *hidden leverage*
 - if news arrive that a hedge is likely to be loss making → “off balance-sheet” liability for seller
 - undermines seller’s incentives to control risk (akin to debt overhang)
- To maintain incentives → reduce risk-sharing
- If too costly, give up on incentives → accept risk-taking
 - endogenous counterparty risk, propagation and amplification

Hidden leverage, incentives and margins

- Risk-sharing creates *hidden leverage*
 - if news arrive that a hedge is likely to be loss making → “off balance-sheet” liability for seller
 - undermines seller’s incentives to control risk (akin to debt overhang)
- To maintain incentives → reduce risk-sharing
- If too costly, give up on incentives → accept risk-taking
 - endogenous counterparty risk, propagation and amplification
- Can margins help?

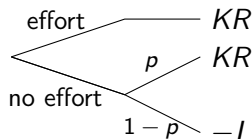
Protection buyer

- Bank, hedge fund, insurance company,...
- Risk averse (concave utility u)
- Endowed with a risky position $I\tilde{\theta}$



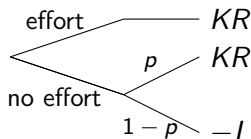
Protection seller

- Bank, hedge fund, insurance company,...
- Risk neutral
- Risky balance-sheet $K\tilde{R}$ (independent of $\tilde{\theta}$)
- Needs to exert unobservable effort to control balance-sheet risk



Protection seller

- Bank, hedge fund, insurance company,...
- Risk neutral
- Risky balance-sheet $K\tilde{R}$ (independent of $\tilde{\theta}$)
- Needs to exert unobservable effort to control balance-sheet risk



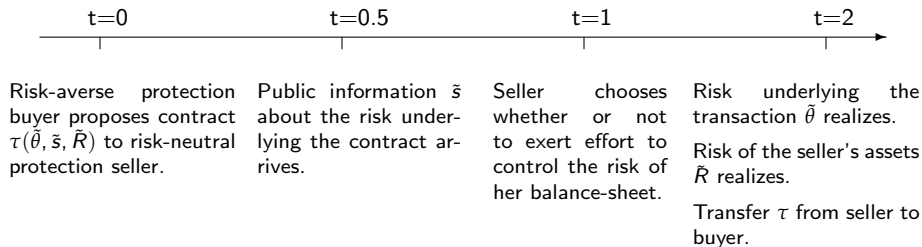
- Shirking carries private benefit KB
- Protected by limited liability \rightarrow moral hazard
- Competitive (for simplicity)

Information structure

- Public signal \tilde{s} about the buyer's risk $\tilde{\theta}$ becomes available
 - *after* the contract is written
 - *before* the seller chooses whether to control her own balance-sheet risk \tilde{R}
- The signal is informative: $\text{prob}[\underline{\theta}|\underline{s}] > \text{prob}[\underline{\theta}]$

- Ability to write a risk-sharing contract
- Contract specifies a transfer τ from the seller to the buyer depending on
 - the realization of the buyer's risky position $\tilde{\theta}$
 - the realization of the seller's risky balance-sheet \tilde{R}
 - the public signal \tilde{s}

Sequence of events



First-best (observable effort)

- Protection buyer request seller's effort and solves

$$\max_{\tau} E[u(I\tilde{\theta} + \tau)]$$

subject to $E[\tau] \leq 0$ [PC]

First-best (observable effort)

- Protection buyer request seller's effort and solves

$$\max_{\tau} E[u(I\tilde{\theta} + \tau)]$$

subject to $E[\tau] \leq 0$ [PC]

- In the first-best
 - full insurance
 - contract does not depend on the signal \tilde{s}
 - contract is actuarially fair
 - seller obtains no rent

Incentive constraint with unobservable effort

- Expected profit of protection seller under effort

$$KR - E[\tau|s]$$

- Expected profit without effort

$$p(KR - E[\tau|s]) + KB$$

Incentive constraint with unobservable effort

- Expected profit of protection seller under effort

$$KR - E[\tau|s]$$

- Expected profit without effort

$$p(KR - E[\tau|s]) + KB$$

- Two incentive compatibility conditions

$$K \left(R - \frac{B}{1-p} \right) \geq E[\tau|s] \quad s = \bar{s}, \underline{s}$$

Incentive constraint with unobservable effort

- Expected profit of protection seller under effort

$$KR - E[\tau|s]$$

- Expected profit without effort

$$p(KR - E[\tau|s]) + KB$$

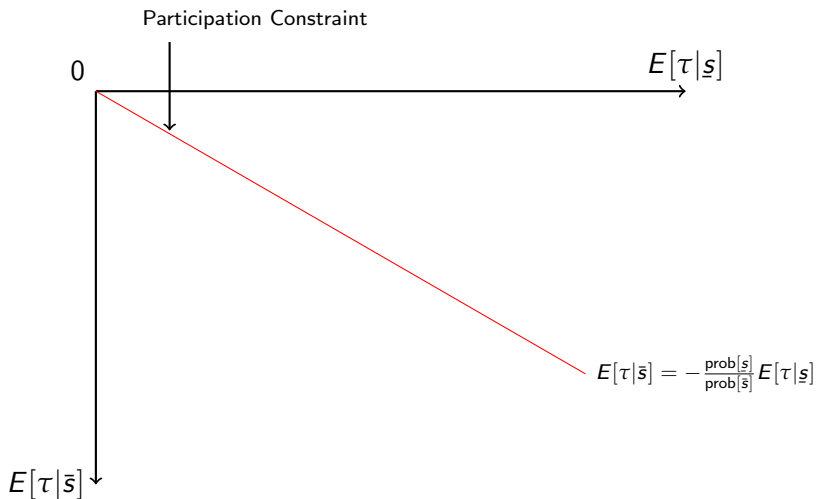
- Two incentive compatibility conditions

$$\underbrace{K \left(R - \frac{B}{1-p} \right)}_{\text{pledgeable income } \mathcal{P}} \geq E[\tau|s] \quad s = \bar{s}, \underline{s}$$

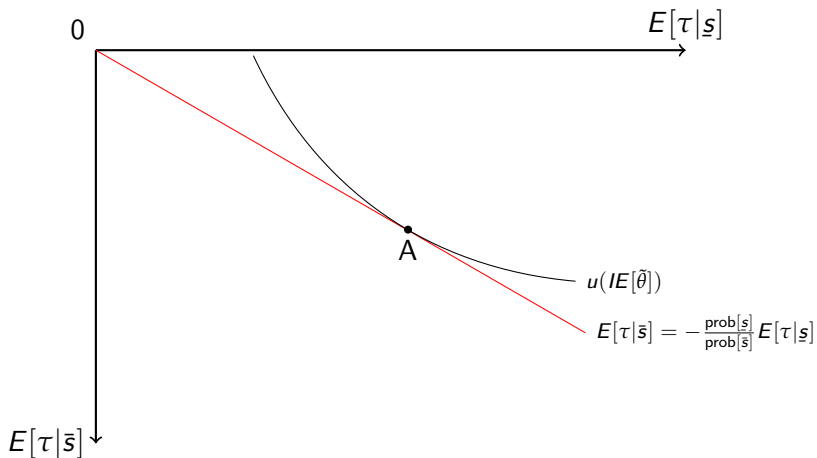
First-best (observable effort)



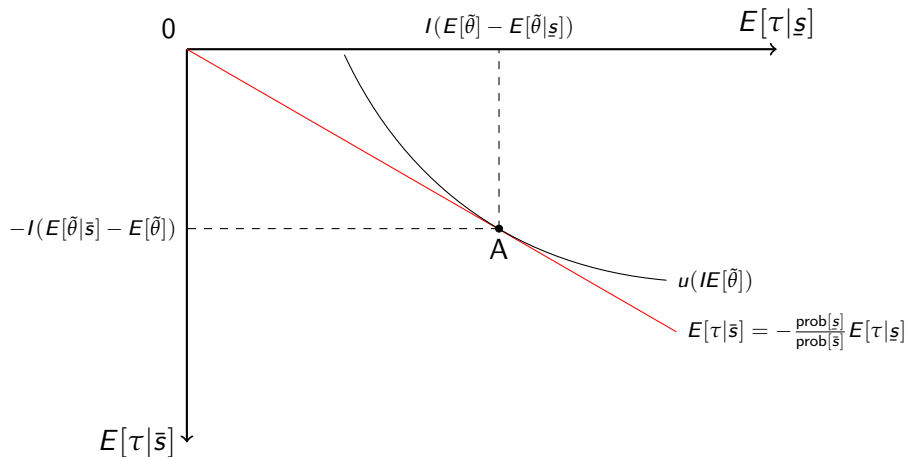
First-best (observable effort)



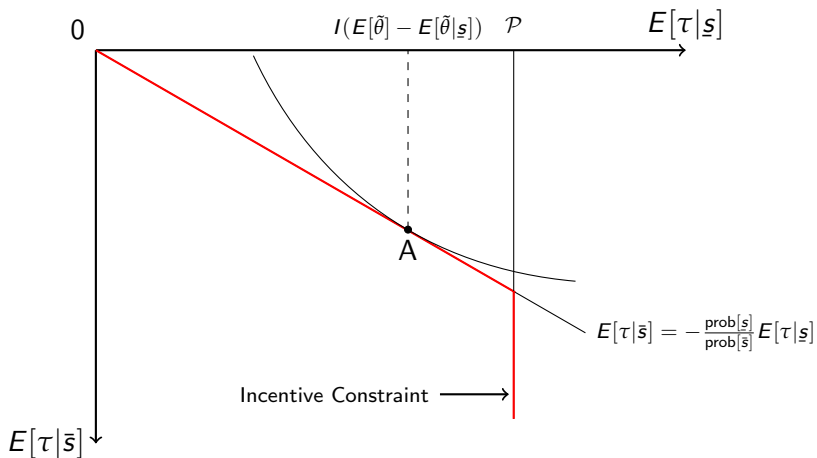
First-best (observable effort)



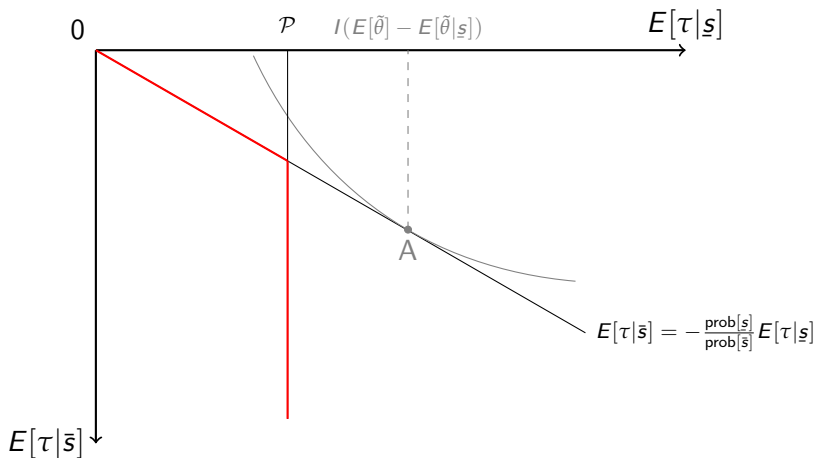
First-best (observable effort)



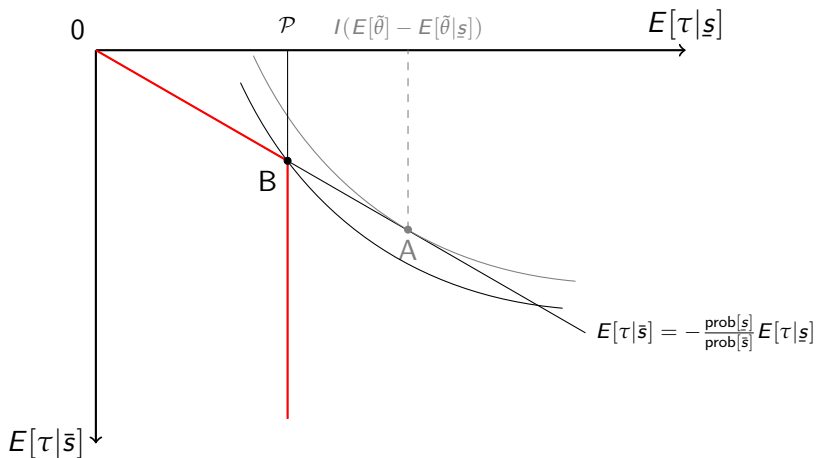
Unobservable effort: first-best achievable



Unobservable effort induced



Unobservable effort induced



Hidden leverage, incentives and signal risk

- After bad signal \rightarrow risk-sharing contract (derivative) likely to be loss-making
 - Derivative becomes an “off balance-sheet liability ”
 - Harder to induce effort
 - To maintain incentives, reduce protection after bad signal

Hidden leverage, incentives and signal risk

- After bad signal → risk-sharing contract (derivative) likely to be loss-making
 - Derivative becomes an “off balance-sheet liability ”
 - Harder to induce effort
 - To maintain incentives, reduce protection after bad signal
- Protection buyer exposed to *signal risk*

Risk-sharing and risk-taking

- Trade-off when designing optimal contract
 - reduce protection after bad signal to preserve incentives (risk-sharing inefficiency)
 - accept risk-taking after bad signal (productive inefficiency)

Risk-sharing and risk-taking

- Trade-off when designing optimal contract
 - reduce protection after bad signal to preserve incentives (risk-sharing inefficiency)
 - accept risk-taking after bad signal (productive inefficiency)
- Choice between signal and counterparty risk

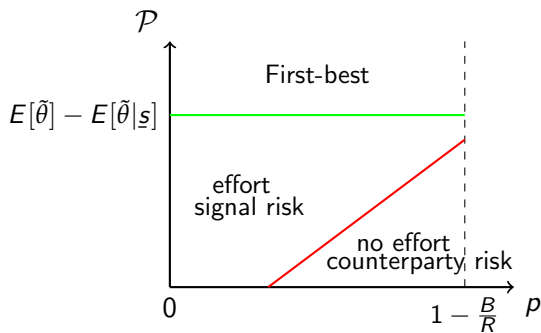
Optimal contract with risk-taking (after bad signal)

- There is counterparty risk of seller defaulting
 - not socially optimal if large losses L (disruptions in payment systems or interbank markets)

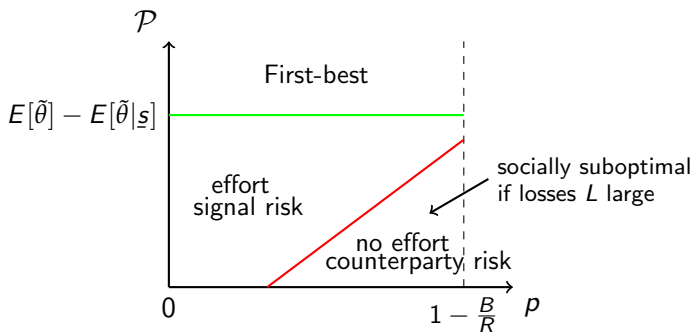
Optimal contract with risk-taking (after bad signal)

- There is counterparty risk of seller defaulting
 - not socially optimal if large losses L (disruptions in payment systems or interbank markets)
- Full insurance of buyer's risk $\tilde{\theta}$
- Contract does not depend on the signal \tilde{s}
- Seller obtains no rent
- Contract is not actuarially fair

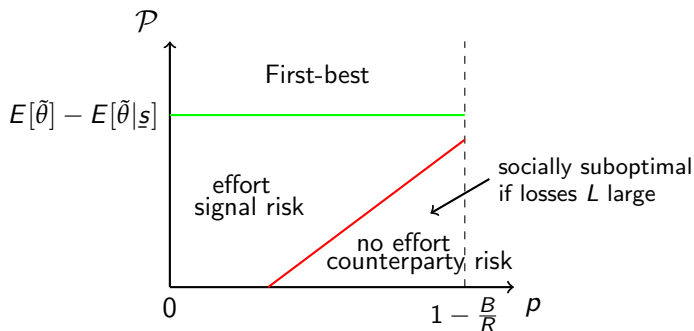
Optimal contract



Optimal contract



Optimal contract



■ Policy implications

- ban derivative trading for institutions with low pledgeable income
- or capital requirements as a function of derivative exposure

Search for yield, propagation and amplification of risks

- Risk-taking privately optimal when low default risk $1 - p$
(search for yield)

Search for yield, propagation and amplification of risks

- Risk-taking privately optimal when low default risk $1 - p$
(search for yield)
- Bad news on protection buyer's risk $\tilde{\theta}$ → increased default risk of seller (propagation)

Search for yield, propagation and amplification of risks

- Risk-taking privately optimal when low default risk $1 - p$
(search for yield)
- Bad news on protection buyer's risk $\tilde{\theta}$ → increased default risk of seller (propagation)
- Drop in pledgeable income (bad macro shock) → shift from risk-control (effort) to risk-taking (amplification)

Initial Margin

- At $t=0$, protection seller liquidates a fraction α of his balance-sheet to deposit as cash with a clearing-house

Initial Margin

- At $t=0$, protection seller liquidates a fraction α of his balance-sheet to deposit as cash with a clearing-house
- Early liquidation is inefficient, $R > 1 \rightarrow$ tightens participation constraint

$$E[\tau] \leq \alpha K (1 - R)$$

Initial Margin

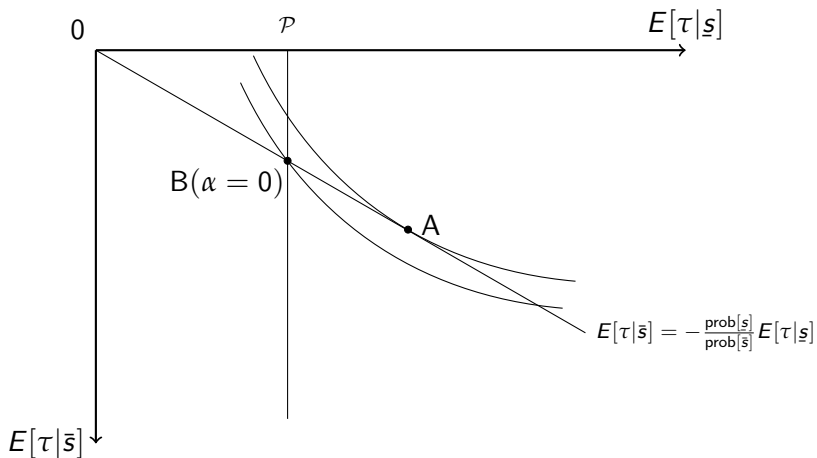
- At $t=0$, protection seller liquidates a fraction α of his balance-sheet to deposit as cash with a clearing-house
- Early liquidation is inefficient, $R > 1 \rightarrow$ tightens participation constraint

$$E[\tau] \leq \alpha K (1 - R)$$

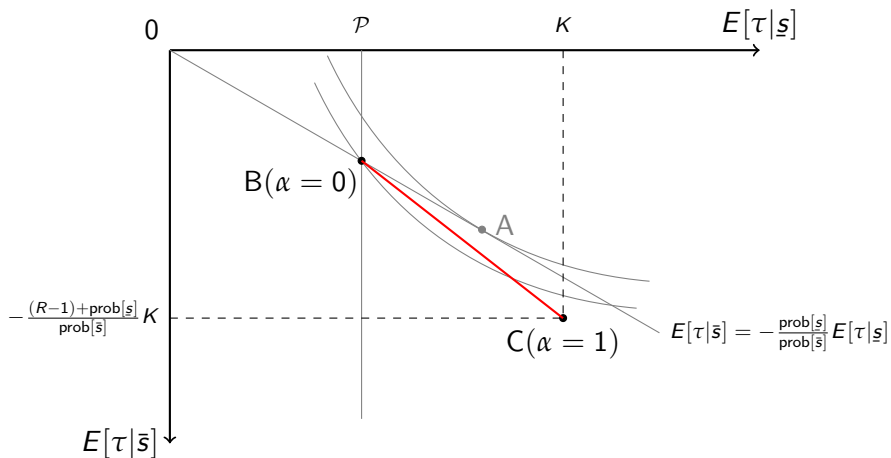
- Deposited cash is ring-fenced from moral-hazard \rightarrow relaxes incentive constraint

$$E[\tau|\underline{s}] \leq \alpha K + (1 - \alpha)\mathcal{P}$$

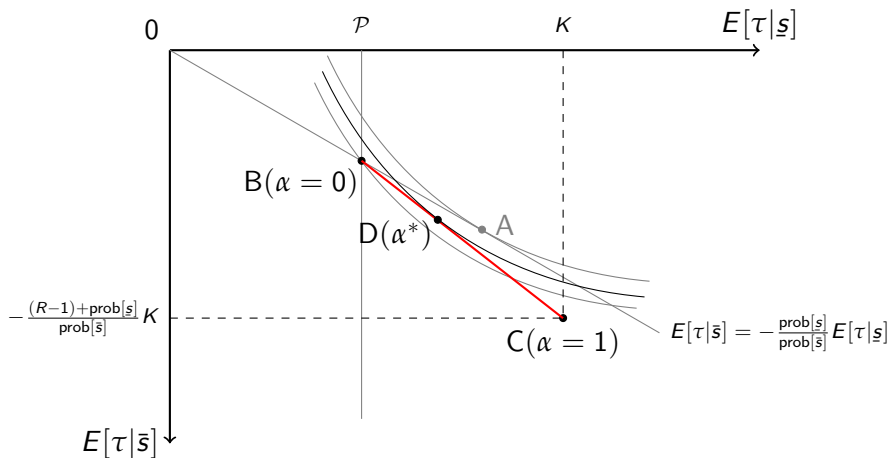
Optimal margin with induced effort



Optimal margin with induced effort



Optimal margin with induced effort



Risk-sharing and risk-taking with margins

- Under effort, initial margins improve risk-sharing even though not paid out

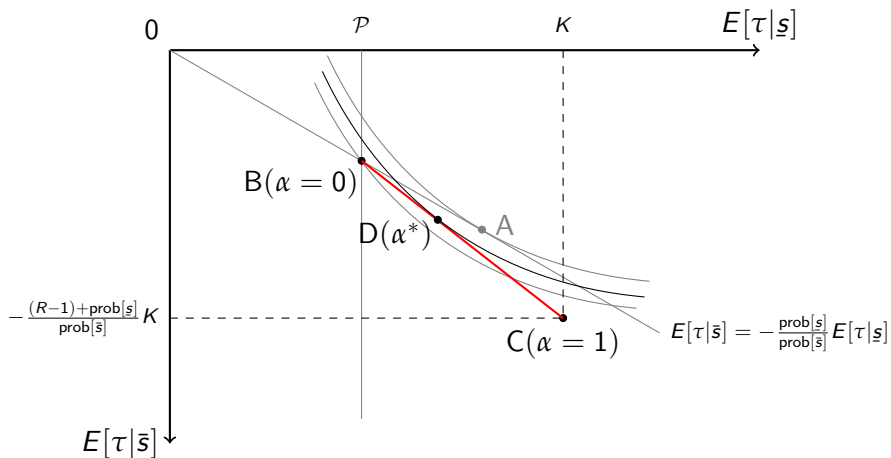
Risk-sharing and risk-taking with margins

- Under effort, initial margins improve risk-sharing even though not paid out
- Under no-effort, they insure the buyer against counter-party risk
 - may lead to more-risk taking

Risk-sharing and risk-taking with margins

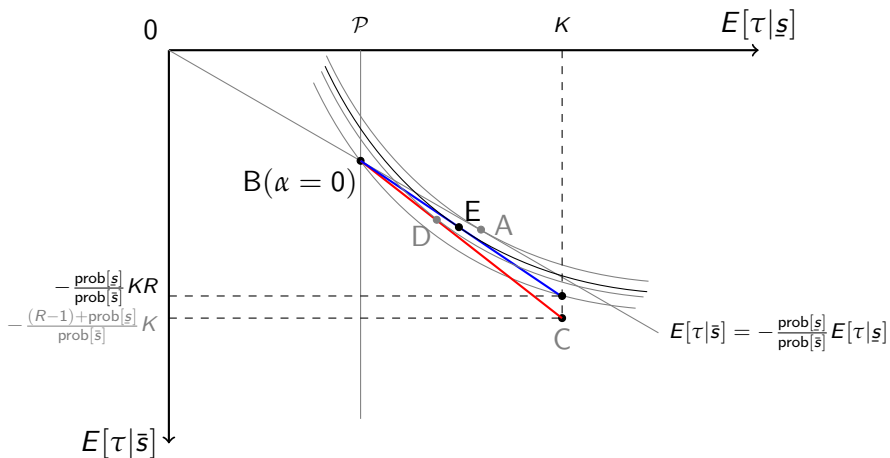
- Under effort, initial margins improve risk-sharing even though not paid out
- Under no-effort, they insure the buyer against counter-party risk
 - may lead to more-risk taking
- Overall effect of initial margins on risk is ambiguous

Initial margin



Variation margin

$$E[\tau] \leq \alpha K (1 - R) \text{prob}[\underline{s}]$$



Conclusion

- Financial innovation enhances risk-sharing
- But with asymmetric information it can lead to
 - endogenous risk
 - propagation of risk
 - amplification of shocks
- Initial margins are no panacea
- Capital regulation to counter hidden leverage

Extra: implementation

- First-best: forward (q, F) with

$$\tau(\bar{\theta}, \bar{s}) = \tau(\bar{\theta}, \underline{s}) = I(E[\theta] - \bar{\theta}) = q(F - \bar{\theta})$$

$$\tau(\underline{\theta}, \bar{s}) = \tau(\underline{\theta}, \underline{s}) = I(E[\theta] - \underline{\theta}) = q(F - \underline{\theta})$$

$$\Rightarrow q = I \quad \text{and} \quad F = E[\theta]$$